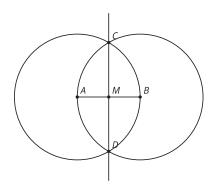


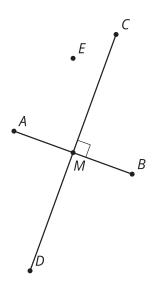
## **Lesson 3 Practice Problems**

1. This diagram is a straightedge and compass construction. *A* is the center of one circle, and *B* is the center of the other. Select **all** the true statements.



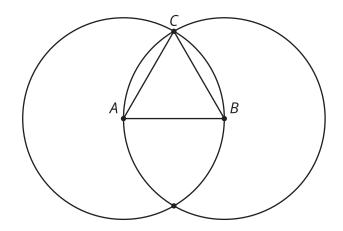
A. Line CD is perpendicular to segment AB

- B. Point M is the midpoint of segment AB
- C. The length AB is the equal to the length CD.
- D. Segment AM is perpendicular to segment BM
- $\mathsf{E.} \ CB + BD > CD$
- 2. In this diagram, line segment CD is the  $AB \perp CD$ perpendicular bisector of line segment AB. Assume the conjecture that the set of points equidistant from A and B is the perpendicular bisector of AB is true. Is point E closer to point A, closer to point B, or the same distance between the points? Explain how you know.



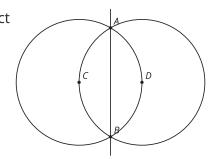


3. Starting with 2 marked points, *A* and *B*, precisely describe the straightedge and compass moves required to construct the triangle *ABC* in this diagram.



(From Unit 1, Lesson 2.)

4. This diagram was created by starting with points *C* and *D* and using only straightedge and compass to construct the rest. All steps of the construction are visible.
Select all the steps needed to produce this diagram.



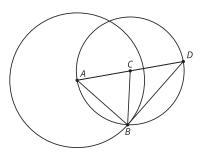
A. Construct a circle centered at A.

- B. Construct a circle centered at *C*.
- C. Construct a circle centered at *D*.
- D. Label the intersection points of the circles *A* and *B*.
- E. Draw the line through points *C* and *D*.
- F. Draw the line through points *A* and *B*.

(From Unit 1, Lesson 2.)



5. This diagram was constructed with straightedge and compass tools. *A* is the center of one circle, and *C* is the center of the other. Select **all** true statements.



A. 
$$AB = BC$$

$$\mathsf{B.} AB = BD$$

$$\mathsf{C.} AD = 2AC$$

D. 
$$BC = CD$$

E. 
$$BD = CD$$

(From Unit 1, Lesson 1.)