### Lesson 6 Practice Problems

1. Triangle $DAC$ is isosceles with congruent sides $AD$ and $AC$. Which additional given information is sufficient for showing that triangle $DBC$ is isosceles? Select **all** that apply.
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	1. Line $AB$ is an angle bisector of $DAC$.
	2. Angle $BAD$ is congruent to angle $ABC$.
	3. Angle $BDC$ is congruent to angle $BCD$.
	4. Angle $ABD$ is congruent to angle $ABC$.
	5. Triangle $DAB$ is congruent to triangle $CAB$.
1. Tyler has written an incorrect proof to show that quadrilateral $ABCD$ is a parallelogram. He knows segments $AB$ and $DC$ are congruent. He also knows angles $ABC$ and $ADC$ are congruent. Find the mistake in his proof.
* Segment $AC$ is congruent to itself, so triangle $ABC$ is congruent to triangle $ADC$ by Side-Angle-Side Triangle Congruence Theorem.  Since the triangles are congruent, so are the corresponding parts, and so angle $DAC$ is congruent to $ACB$.  In quadrilateral $ABCD$, $AB$ is congruent to $CD$ and $AD$ is parallel to $CB$. Since $AD$ is parallel to $CB$, alternate interior angles $DAC$ and $BCA$ are congruent. Since alternate interior angles are congruent, $AB$ must be parallel to $CD$. Quadrilateral $ABCD$ must be a parallelogram since both pairs of opposite sides are parallel.
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1. Triangles $ACD$ and $BCD$ are isosceles. Angle $BAC$ has a measure of 18 degrees and angle $BDC$ has a measure of 48 degrees. Find the measure of angle $ABD$.
* $\overset{¯}{AD}≅\overset{¯}{AC}$ and $\overset{¯}{BD}≅\overset{¯}{BC}$
* 
1. Here are some statements about 2 zigzags. Put them in order to prove figure $ABC$ is congruent to figure $DEF$.
* 
	+ 1: If necessary, reflect the image of figure $ABC$ across $DE$ to be sure the image of $C$, which we will call $C^{′}$, is on the same side of $DE$ as $F$.
	+ 2: $C^{′}$ must be on ray $EF$ since both $C^{′}$ and $F$ are on the same side of $DE$ and make the same angle with it at $E$.
	+ 3: Segments $AB$ and $DE$ are the same length so they are congruent. Therefore, there is a rigid motion that takes $AB$ to $DE$. Apply that rigid motion to figure $ABC$.
	+ 4: Since points $C^{′}$ and $F$ are the same distance along the same ray from $E$ they have to be in the same place.
	+ 5: Therefore, figure $ABC$ is congruent to figure $DEF$.
* (From Unit 2, Lesson 5.)
1. Match each statement using only the information shown in the pairs of congruent triangles.
	1. The 2 angles and the included side of one triangle are congruent to 2 angles and the included side of another triangle.
	2. In the 2 triangles there are 3 pairs of congruent sides.
	3. The 2 sides and the included angle of one triangle are congruent to 2 sides and the included angle of another triangle.
	4. 
	5. 
	6. 
* (From Unit 2, Lesson 4.)
1. Triangle $ABC$ is congruent to triangle $EDF$. So, Priya knows that there is a sequence of rigid motions that takes $ABC$ to $EDF$.
* Select **all** true statements after the transformations:
* 
	1. Segment $AB$ coincides with segment $EF$.
	2. Segment $BC$ coincides with segment $DF$.
	3. Segment $AC$ coincides with segment $ED$.
	4. Angle $A$ coincides with angle $E$.
	5. Angle $C$ coincides with angle $F$.
* (From Unit 2, Lesson 3.)



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