

Family Support Materials

Expressions and Equations

Here are the video lesson summaries for Grade 6, Unit 6: Expressions and Equations. Each video highlights key concepts and vocabulary that students learn across one or more lessons in the unit. The content of these video lesson summaries is based on the written Lesson Summaries found at the end of lessons in the curriculum. The goal of these videos is to support students in reviewing and checking their understanding of important concepts and vocabulary. Here are some possible ways families can use these videos:

- Keep informed on concepts and vocabulary students are learning about in class.
- Watch with their student and pause at key points to predict what comes next or think up other examples of vocabulary terms (the bolded words).
- Consider following the Connecting to Other Units links to review the math concepts that led up to this unit or to preview where the concepts in this unit lead to in future units.

Grade 6, Unit 6: Expressions and Equations	Vimeo	YouTube
Video 1: Understanding Equations (Lessons 1–3)	Link	Link
Video 2: Writing and Solving Equations (Lessons 4–7)	Link	Link
Video 3: Writing Equivalent Expressions (Lessons 8–11)	Link	Link
Video 4: Expressions with Exponents (Lessons 12–15)	Link	Link
Video 5: Relationships Between Quantities (Lessons 16–18)	Link	Link

Video 1

Video 'VLS G6U6V1 Understanding Equations (Lessons 1–3)' available here:
<https://player.vimeo.com/video/505730840>.

Video 2

Video 'VLS G6U6V2 Writing and Solving Equations (Lessons 4–7)' available here:
<https://player.vimeo.com/video/505735569>.

Video 3

Video 'VLS G6U6V3 Writing Equivalent Expressions (Lessons 8–11)' available here:
<https://player.vimeo.com/video/513058816>.

Video 4

Video 'VLS G6U6V4 Expressions with Exponents (Lessons 12–15)' available here:
<https://player.vimeo.com/video/521434518>.

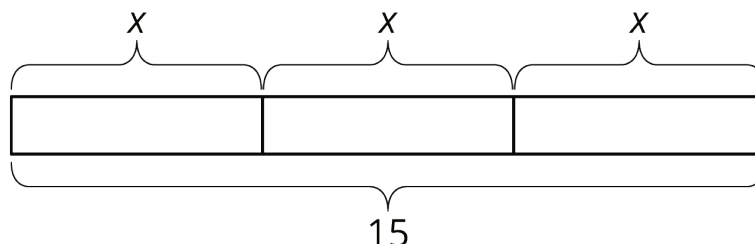
Video 5

Video 'VLS G6U6V5 Relationships Between Quantities (Lessons 16–18)' available here:
<https://player.vimeo.com/video/530008085>.

Equations in One Variable

Family Support Materials 1

This week your student will be learning to visualize, write, and solve equations. They did this work in previous grades with numbers. In grade 6, we often use a letter called a **variable** to represent a number whose value is unknown. Diagrams can help us make sense of how quantities are related. Here is an example of such a diagram:



Since 3 pieces are labeled with the same variable x , we know that each of the three pieces represent the same number. Some equations that match this diagram are $x + x + x = 15$ and $15 = 3x$.

A **solution** to an equation is a number used in place of the variable that makes the equation true. In the previous example, the solution is 5. Think about substituting 5 for x in either equation: $5 + 5 + 5 = 15$ and $15 = 3 \cdot 5$ are both true. We can tell that, for example, 4 is *not* a solution, because $4 + 4 + 4$ does not equal 15.

Solving an equation is a process for finding a solution. Your student will learn that an equation like $15 = 3x$ can be solved by dividing each side by 3. Notice that if you divide each side by 3, $15 \div 3 = 3x \div 3$, you are left with $5 = x$, the solution to the equation.

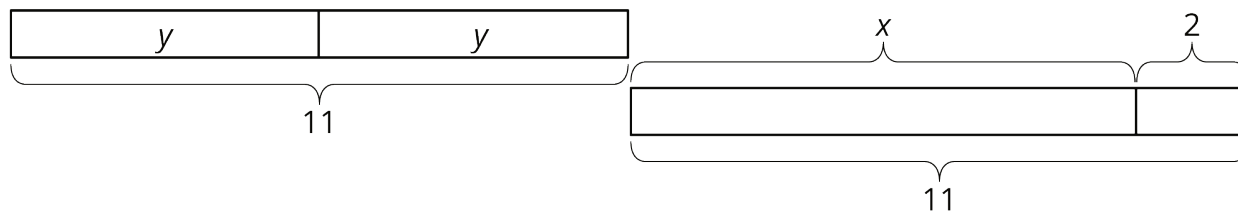
Here is a task to try with your student:

Draw a diagram to represent each equation. Then, solve each equation.

$$2y = 11$$

$$11 = x + 2$$

Solution:



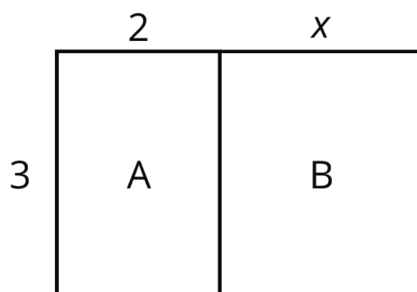
$$y = 5.5 \text{ or } y = \frac{11}{2}$$

$$x = 9$$

Equal and Equivalent

Family Support Materials 2

This week your student is writing mathematical expressions, especially expressions using the distributive property.



In this diagram, we can say one side length of the large rectangle is 3 units and the other is $x + 2$ units. So, the area of the large rectangle is $3(x + 2)$. The large rectangle can be partitioned into two smaller rectangles, A and B, with no overlap. The area of A is 6 and the area of B is $3x$. So, the area of the large rectangle can also be written as $3x + 6$. In other words,

$$3(x + 2) = 3x + 3 \cdot 2$$

This is an example of the distributive property.

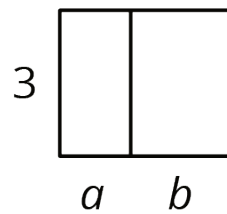
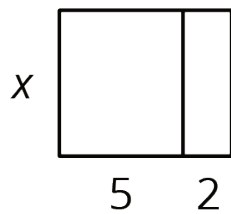
Here is a task to try with your student:

Draw and label a partitioned rectangle to show that each of these equations is always true, no matter the value of the letters.

- $5x + 2x = (5 + 2)x$
- $3(a + b) = 3a + 3b$

Solution:

Answers vary. Sample responses:



Expressions with Exponents

Family Support Materials 3

This week your student will be working with **exponents**. When we write an expression like 7^n , we call n the exponent. In this example, 7 is called the **base**. The exponent tells you how many factors of the base to multiply. For example, 7^4 is equal to $7 \cdot 7 \cdot 7 \cdot 7$. In grade 6, students write expressions with whole-number exponents and bases that are

- whole numbers like 7^4
- fractions like $\left(\frac{1}{7}\right)^4$
- decimals like 7.7^4
- variables like x^4

Here is a task to try with your student:

Remember that a solution to an equation is a number that makes the equation true. For example, a solution to $x^5 = 30 + x$ is 2, since $2^5 = 30 + 2$. On the other hand, 1 is not a solution, since 1^5 does not equal $30 + 1$. Find the solution to each equation from the list provided.

- | | |
|---|---|
| <ol style="list-style-type: none"> 1. $n^2 = 49$ 2. $4^n = 64$ 3. $4^n = 4$ 4. $\left(\frac{3}{4}\right)^2 = n$ 5. $0.2^3 = n$ 6. $n^4 = \frac{1}{16}$ 7. $1^n = 1$ 8. $3^n \div 3^2 = 3^3$ | List: 0, 0.008, $\frac{1}{2}$, $\frac{9}{16}$, $\frac{6}{8}$, 0.8, 1, 2, 3, 4, 5, 6, 7 |
|---|---|

Solution:

1. 7, because $7^2 = 49$. (Note that -7 is also a solution, but in grade 6 students aren't expected to know about multiplying negative numbers.)
2. 3, because $4^3 = 64$
3. 1, because $4^1 = 4$
4. $\frac{9}{16}$, because $\left(\frac{3}{4}\right)^2$ means $\left(\frac{3}{4}\right) \cdot \left(\frac{3}{4}\right)$
5. 0.008, because 0.2^3 means $(0.2) \cdot (0.2) \cdot (0.2)$
6. $\frac{1}{2}$, because $\left(\frac{1}{2}\right)^4 = \frac{1}{16}$
7. Any number! $1^n = 1$ is true no matter what number you use in place of n .
8. 5, because this can be rewritten $3^n \div 9 = 27$. What would we have to divide by 9 to get 27? 243, because $27 \cdot 9 = 243$. $3^5 = 243$.

Relationships Between Quantities

Family Support Materials 4

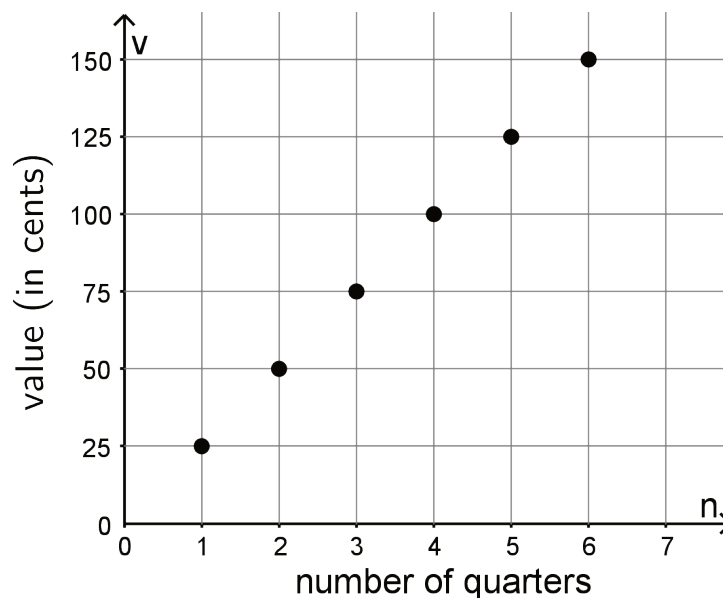
This week your student will study relationships between two quantities. For example, since a quarter is worth 25¢, we can represent the relationship between the number of quarters, n , and their value v in cents like this:

$$v = 25n$$

We can also use a table to represent the situation:

n	v
1	25
2	50
3	75

Or we can draw a graph to represent the relationship between the two quantities:



Here is a task to try with your student:

A shopper is buying granola bars. The cost of each granola bar is \$0.75.

1. Write an equation that shows the cost of the granola bars, c , in terms of the number of bars purchased, n .
2. Create a graph representing associated values of c and n .
3. What are the coordinates of some points on your graph? What do they represent?

Solution:

1. $c = 0.75n$. Every granola bar costs \$0.75 and the shopper is buying n of them, so the cost is $0.75n$.
2. Answers vary. One way to create a graph is to label the horizontal axis with "number of bars" with intervals, 0, 1, 2, 3, etc, and label the vertical axis with "total cost in dollars" with intervals 0, 0.25, 0.50, 0.75, etc.
3. If the graph is created as described in this solution, the first coordinate is the number of granola bars and the second is the cost in dollars for that number of granola bars. Some points on such a graph are (2, 1.50) and (10, 7.50)