

Family Support Materials

Unit Rates and Percentages

Here are the video lesson summaries for Grade 6, Unit 3 Unit Rates and Percentages. Each video highlights key concepts and vocabulary that students learn across one or more lessons in the unit. The content of these video lesson summaries is based on the written Lesson Summaries found at the end of lessons in the curriculum. The goal of these videos is to support students in reviewing and checking their understanding of important concepts and vocabulary. Here are some possible ways families can use these videos:

- Keep informed on concepts and vocabulary students are learning about in class.
- Watch with their student and pause at key points to predict what comes next or think up other examples of vocabulary terms (the bolded words).
- Consider following the Connecting to Other Units links to review the math concepts that led up to this unit or to preview where the concepts in this unit lead to in future units.

| Grade 6, Unit 3: Unit Rates and Percentages | Vimeo | YouTube |
|--|----------------------|----------------------|
| Video 1: Converting Measurements (Lessons 2–4) | Link | Link |
| Video 2: Unit Rates (Lessons 5–8) | Link | Link |
| Video 3: Understanding Percentage (Lessons 10–13) | Link | Link |
| Video 4: Solving Percentage Problems (Lessons 14–16) | Link | Link |

Video 1

Video 'VLS G6U3V1 Converting Measurements (Lessons 2–4)' available here: <https://player.vimeo.com/video/469298365>.

Video 2

Video 'VLS G6U3V2 Unit Rates (Lessons 5–8)' available here: <https://player.vimeo.com/video/470623725>.

Video 3

Video 'VLS G6U3V3 Understanding Percentage (Lessons 10–13)' available here:
<https://player.vimeo.com/video/469393213>.

Video 4

Video 'VLS G6U3V4 Solving Percentage Problems (Lessons 14–16)' available here:
<https://player.vimeo.com/video/471578428>.

Units of Measurement

Family Support Materials 1

If you weighed four objects in pounds, then weighed the same four objects in kilograms, you might come up with this table.

| weight (pounds) | weight (kilograms) |
|-----------------|--------------------|
| 22 | 10 |
| 88 | 40 |
| 33 | 15 |
| 40.7 | 18.5 |

Students are using what they know about ratios and rates to reason about measurements in different *units of measurement* such as pounds and kilograms. In earlier grades, students converted yards to feet using the fact that 1 yard is 3 feet, and kilometers to meters using the fact that 1 kilometer is 1,000 meters. Now in grade 6, students convert units that do not always use whole numbers.

Here is a task to try with your student:

Explain your strategy for each question.

1. Which is heavier, 1 pound or 1 kilogram?
2. A canoe weighs 99 pounds. How many kilograms does it weigh?
3. A watermelon weighs 12 kilograms. How many pounds does it weigh?

Solution:

Any correct strategy that your student understands and can explain is acceptable. Sample strategies:

1. 1 kilogram is heavier than 1 pound. When we weigh the same object in pounds and kilograms, the number of pounds is more than the number of kilograms. It takes fewer kilograms to express the weight of the same object, so each kilogram must be heavier than each pound. Another example of this idea: if we measure the length of a table in both meters and inches, the number of inches is more than the number of meters. Therefore, 1 inch must be shorter than 1 meter.

2. 45. Using the table, we can reason that 11 pounds is 5 kilograms. Multiplying each of these by 9 shows that 99 pounds is 45 kilograms.
3. 26.4. Using the table, we can find that each kilogram is equal to about 2.2 pounds. This means if we know an object's weight in kilograms, we can multiply by 2.2 to find its weight in pounds. $12 \cdot (2.2) = 26.4$

Rates

Family Support Materials 2

Who biked faster: Andre, who biked 25 miles in 2 hours, or Lin, who biked 30 miles in 3 hours? One strategy would be to calculate a **unit rate** for each person. A unit rate is an equivalent ratio expressed as something “per 1.” For example, Andre’s rate could be written as “ $12\frac{1}{2}$ miles in 1 hour” or “ $12\frac{1}{2}$ miles *per 1 hour*.” Lin’s rate could be written “10 miles per 1 hour.” By finding the unit rates, we can compare the distance each person went in 1 hour to see that Andre biked faster.

Every ratio has *two* unit rates. In this example, we could also compute *hours per mile*: how many hours it took each person to cover 1 mile. Although not every rate has a special name, rates in “miles per hour” are commonly called **speed** and rates in “hours per mile” are commonly called **pace**.

Andre:

| distance (miles) | time (hours) |
|------------------|--------------|
| 25 | 2 |
| 1 | 0.08 |
| 12.5 | 1 |

Lin:

| distance (miles) | time (hours) |
|------------------|--------------|
| 30 | 3 |
| 10 | 1 |
| 1 | 0.1 |

Here is a task to try with your student:

Dry dog food is sold in bulk: 4 pounds for \$16.00.

1. At this rate, what is the cost *per pound* of dog food?
2. At this rate, what is the amount of dog food you can buy *per dollar*?

Solution:

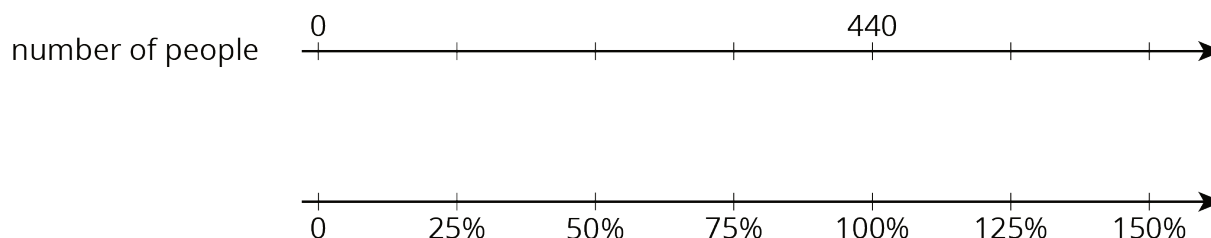
1. \$4.00 per pound because $16 \div 4 = 4$.
2. You get $\frac{1}{4}$ or 0.25 of a pound per dollar because $4 \div 16 = 0.25$.

| dog food (pounds) | cost (dollars) |
|-------------------|----------------|
| 4 | 16 |
| 1 | 4 |
| 0.25 | 1 |

Percentages

Family Support Materials 3

Let's say 440 people attended a school fundraiser last year. If 330 people were adults, what percentage of people were adults? If it's expected that the attendance this year will be 125% of last year, how many attendees are expected this year? A double number line can be used to reason about these questions.



Students use their understanding of “rates per 1” to find **percentages**, which we can think of as “rates per 100.” Double number lines and tables continue to support their thinking. The example about attendees of a fundraiser could also be organized in a table:

| number of people | percentage |
|------------------|------------|
| 440 | 100% |
| 110 | 25% |
| 330 | 75% |
| 550 | 125% |

Toward the end of the unit, students develop more sophisticated strategies for finding percentages. For example, you can find 125% of 440 attendees by computing $\frac{125}{100} \cdot 440$. With practice, students will use these more efficient strategies and understand why they work.

Here is a task to try with your student:

For each question, explain your reasoning. If you get stuck, try creating a table or double number line for the situation.

1. A bottle of juice contains 16 ounces, and you drink 25% of the bottle. How many ounces did you drink?
2. You get 9 questions right in a trivia game, which is 75% of the questions. How many questions are in the game?
3. You planned to walk 8 miles, but you ended up walking 12 miles. What percentage of your planned distance did you walk?

Solution:

Any correct reasoning that a student understands and can explain is acceptable. Sample reasoning:

1. 4. 25% of the bottle is $\frac{1}{4}$ of the bottle, and $\frac{1}{4}$ of 16 is 4.
2. 12. If 9 questions is 75%, we can divide each by 3 to know that 3 questions is 25%. Multiplying each by 4 shows that 12 questions is 100%.
3. 150%. If 8 miles is 100%, then 4 miles is 50%, and 12 miles is 150%.