

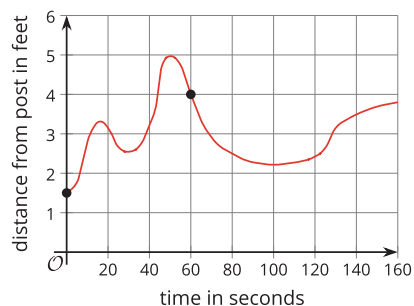
# Unit 4 Lesson 2: Function Notation

## 1 Back to the Post! (Warm up)

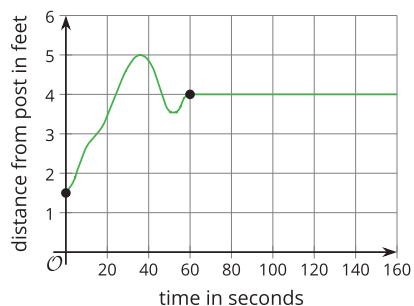
### Student Task Statement

Here are the graphs of some situations you saw before. Each graph represents the distance of a dog from a post as a function of time since the dog owner left to purchase something from a store. Distance is measured in feet and time is measured in seconds.

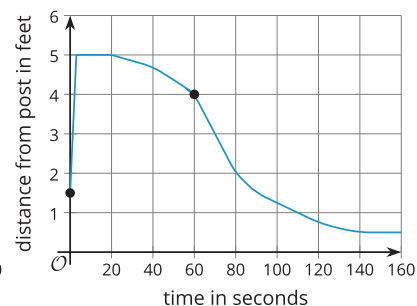
Day 1



Day 2



Day 3



1. Use the given graphs to answer these questions about each of the three days:

a. How far away was the dog from the post 60 seconds after the owner left?

Day 1:

Day 2:

Day 3:

b. How far away was the dog from the post when the owner left?

Day 1:

Day 2:

Day 3:

c. The owner returned 160 seconds after he left. How far away was the dog from the post at that time?

Day 1:

Day 2:

Day 3:

d. How many seconds passed before the dog reached the farthest point it could reach from the post?

Day 1:

Day 2:

Day 3:

2. Consider the statement, "The dog was 2 feet away from the post after 80 seconds." Do you agree with the statement?

3. What was the distance of the dog from the post 100 seconds after the owner left?

## 2 A Handy Notation

### Student Task Statement

Let's name the functions that relate the dog's distance from the post and the time since its owner left: function  $f$  for Day 1, function  $g$  for Day 2, function  $h$  for Day 3. The input of each function is time in seconds,  $t$ .

1. Use function notation to complete the table.

	day 1	day 2	day 3
a. distance from post 60 seconds after the owner left			
b. distance from post when the owner left			
c. distance from post 150 seconds after the owner left			

2. Describe what each expression represents in this context:

- a.  $f(15)$

- b.  $g(48)$

- c.  $h(t)$

3. The equation  $g(120) = 4$  can be interpreted to mean: "On Day 2, 120 seconds after the dog owner left, the dog was 4 feet from the post."

What does each equation mean in this situation?

- a.  $h(40) = 4.6$

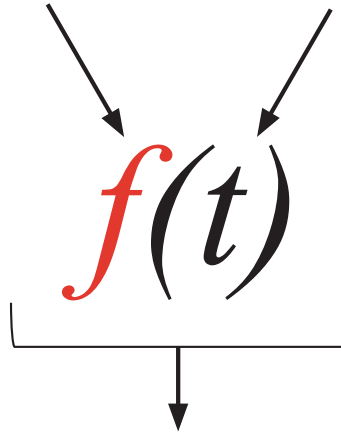
b.  $f(t) = 5$

c.  $g(t) = d$

**Activity Synthesis**

name of function

input of function



output of function

### 3 Birthdays

#### Student Task Statement

Rule  $B$  takes a person's name as its input, and gives their birthday as the output.

input	output
Abraham Lincoln	February 12

Rule  $P$  takes a date as its input and gives a person with that birthday as the output.

input	output
August 26	Katherine Johnson

1. Complete each table with three more examples of input-output pairs.
2. If you use your name as the input to  $B$ , how many outputs are possible? Explain how you know.
3. If you use your birthday as the input to  $P$ , how many outputs are possible? Explain how you know.
4. Only one of the two relationships is a function. The other is not a function. Which one is which? Explain how you know.
5. For the relationship that is a function, write two input-output pairs from the table using function notation.