

Lesson 12: Navigating a Table of Equivalent Ratios

Let's use a table of equivalent ratios like a pro.

12.1: Number Talk: Multiplying by a Unit Fraction

Find the product mentally.

$$\frac{1}{3} \cdot 21$$

$$\frac{1}{6} \cdot 21$$

$$(5.6) \cdot \frac{1}{8}$$

$$\frac{1}{4} \cdot (5.6)$$

12.2: Comparing Taco Prices

number of tacos	price in dollars

Use the table to help you solve these problems.
Explain or show your reasoning.

1. Noah bought 4 tacos and paid \$6. At this rate, how many tacos could he buy for \$15?
2. Jada's family bought 50 tacos for a party and paid \$72. Were Jada's tacos the same price as Noah's tacos?

12.3: Hourly Wages

Lin is paid \$90 for 5 hours of work. She used the table to calculate how much she would be paid at this rate for 8 hours of work.

amount earned (\$)	time worked (hours)
90	5
18	1
144	8

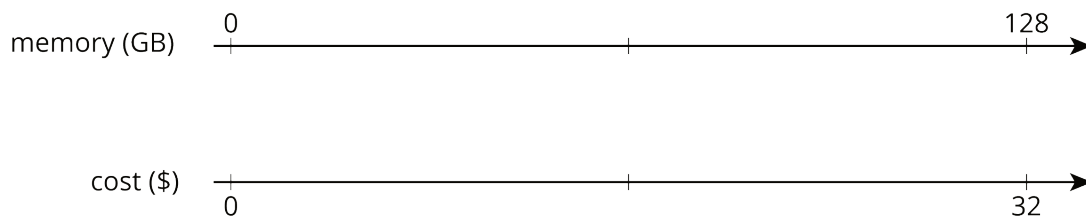
Diagram annotations: On the left, a green arrow points from 90 to 18 with the multiplier $\cdot \frac{1}{5}$, and another green arrow points from 18 to 144 with the multiplier $\cdot 8$. On the right, a green arrow points from 5 to 1 with the multiplier $\cdot \frac{1}{5}$, and another green arrow points from 1 to 8 with the multiplier $\cdot 8$.

1. What is the meaning of the 18 that appears in the table?
2. Why was the number $\frac{1}{5}$ used as a multiplier?
3. Explain how Lin used this table to solve the problem.
4. At this rate, how much would Lin be paid for 3 hours of work? For 2.1 hours of work?

12.4: Zeno’s Memory Card

In 2016, 128 gigabytes (GB) of portable computer memory cost \$32.

1. Here is a double number line that represents the situation:



One set of tick marks has already been drawn to show the result of multiplying 128 and 32 each by $\frac{1}{2}$. Label the amount of memory and the cost for these tick marks.

Next, keep multiplying by $\frac{1}{2}$ and drawing and labeling new tick marks, until you can no longer clearly label each new tick mark with a number.

2. Here is a table that represents the situation. Find the cost of 1 gigabyte. You can use as many rows as you need.

memory (gigabytes)	cost (dollars)
128	32

3. Did you prefer the double number line or the table for solving this problem? Why?

Are you ready for more?

A kilometer is 1,000 meters because *kilo* is a prefix that means 1,000. The prefix *mega* means 1,000,000 and *giga* (as in gigabyte) means 1,000,000,000. One byte is the amount of memory needed to store one letter of the alphabet. About how many of each of the following would fit on a 1-gigabyte flash drive?

1. letters
2. pages
3. books
4. movies
5. songs

Lesson 12 Summary

Finding a row containing a “1” is often a good way to work with tables of equivalent ratios. For example, the price for 4 lbs of granola is \$5. At that rate, what would be the price for 62 lbs of granola?

Here are tables showing two different approaches to solving this problem. Both of these approaches are correct. However, one approach is more efficient.

- Less efficient

granola (lbs)	price (\$)
4	5
8	10
16	20
32	40
64	80
62	77.50

Annotations for the 'Less efficient' table: On the left, four arrows labeled $\cdot 2$ point from the first row to the second, third, fourth, and fifth rows. A fifth arrow labeled $- 2 \text{ lbs}$ points from the fifth row to the sixth row. On the right, four arrows labeled $\cdot 2$ point from the first row to the second, third, fourth, and fifth rows. A fifth arrow labeled $- \$2.50$ points from the fifth row to the sixth row.

- More efficient

granola (lbs)	price (\$)
4	5
1	1.25
62	77.50

Annotations for the 'More efficient' table: On the left, an arrow labeled $\cdot \frac{1}{4}$ points from the first row to the second row, and an arrow labeled $\cdot 62$ points from the second row to the third row. On the right, an arrow labeled $\cdot \frac{1}{4}$ points from the first row to the second row, and an arrow labeled $\cdot 62$ points from the second row to the third row.

Notice how the more efficient approach starts by finding the price for 1 lb of granola.

Remember that dividing by a whole number is the same as multiplying by a unit fraction. In this example, we can divide by 4 or multiply by $\frac{1}{4}$ to find the unit price.