## Lesson 19 Practice Problems

1. What is the measure of angle $A B E$ ?

2. Select all true statements about the figure.

A. $c+b=d+c$
B. $d+b=180$
C. Rotate clockwise by angle $A B C$ using center $B$. Then angle $C B D$ is the image of angle $A B E$.
D. Rotate 180 degrees using center $B$. Then angle $C B D$ is the image of angle EBA.
E. Reflect across the angle bisector of angle $A B C$. Then angle $C B D$ is the image of angle $A B E$.
F. Reflect across line $C E$. Then angle $C B D$ is the image of angle $E B A$
3. Point $D$ is rotated 180 degrees using $B$ as the center. Explain why the image of $D$ must lie on the ray $B A$.

4. Draw the result of this sequence of transformations.
a. Rotate $A B C D$ clockwise by angle $A D C$ using point $D$ as the center.
b. Translate the image by the directed line segment $D E$.

(From Unit 1, Lesson 18.)
5. Quadrilateral $A B C D$ is congruent to quadrilateral $A^{\prime} B^{\prime} C^{\prime} D^{\prime}$. Describe a sequence of rigid motions that takes $A$ to $A^{\prime}, B$ to $B^{\prime}, C$ to $C^{\prime}$, and $D$ to $D^{\prime}$.

(From Unit 1, Lesson 17.)
6. Triangle $A B C$ is congruent to triangle $A^{\prime} B^{\prime} C^{\prime}$. Describe a sequence of rigid motions that takes $A$ to $A^{\prime}, B$ to $B^{\prime}$, and $C$ to $C^{\prime}$.

(From Unit 1, Lesson 17.)
7. In quadrilateral $B A D C, A B=A D$ and $B C=D C$. The line $A C$ is a line of symmetry for this quadrilateral.

a. Based on the line of symmetry, explain why the diagonals $A C$ and $B D$ are perpendicular.
b. Based on the line of symmetry, explain why angles $A C B$ and $A C D$ have the same measure.
8. Here are 2 polygons:


Select all sequences of translations, rotations, and reflections below that would take polygon $P$ to polygon $Q$.
A. Reflect over line $B A$ and then translate by directed line segment $C B$.
B. Translate by directed line segment $B \boldsymbol{A}$ then reflect over line $B \boldsymbol{A}$.
C. Rotate $60^{\circ}$ clockwise around point $B$ and then translate by directed line segment $C B$.
D. Translate so that $E$ is taken to $H$. Then rotate $120^{\circ}$ clockwise around point $H$.
E. Translate so that $A$ is taken to $J$. Then reflect over line $B A$.

